

# Optical Wireless Link for Railway Service

ZDENĚK KOLKA, OTAKAR WILFERT, VIERA BIOLKOVÁ, DALIBOR BIOLEK

Department of Radio Electronics  
 Brno University of Technology  
 Purkyňova 118, 612 00 Brno  
 CZECH REPUBLIC

*Abstract:* - Optical wireless links (OWL) have found many applications due to their specific properties. One of interesting applications is a 10Mb/s optical link connecting train wagons. The link design takes into account instability of mutual position and orientation of transmitter and receiver. The paper deals with analysis of extreme deviations, design, and modeling of transmitting and receiving optical systems for the link.

*Key-Words:* - Free Space Optics, Communications, Networking

## 1 Introduction

The optical link is intended for modernization of classical train carriages to provide new services both for the crew and passengers. The optical system designed is based on inexpensive LEDs and plastic Fresnel lens. As the electronics is based on circuitry for fiber applications, the optical system must provide optical power at photodiode between -30dBm to 0dBm under all circumstances (carriage movements, optics smear, etc.).

The extreme angular deviations of optical axes of transmitter and receiver can be determined from a simplified model in Fig. 1a that depicts situation in the horizontal plane. Axes of the wagons contain angle  $\theta_A$  which depends on the track radius of curvature. However, the angle between optical axis  $o$  and abscissa  $[0,0][x_0,y_0]$  (the join of receiver and transmitter) is only  $\theta_A/2$ . Movements of carriage caused by the rail irregularities could be expressed as side deviations  $\Delta x$ . Points A and B represent the extreme cases. Angular effect of eventual vertical deviations  $\Delta y$  is always smaller.

The angles  $\alpha_A$  and  $\alpha_B$  can be determined as

$$\alpha_A = \arctg\left(\frac{L \sin(\theta_A/2) - \Delta x \cos(\theta_A)}{L \cos(\theta_A/2) + \Delta x \sin(\theta_A)}\right), \quad (1a)$$

$$\alpha_B = \arctg\left(\frac{L \sin(\theta_A/2) + \Delta x \cos(\theta_A)}{L \cos(\theta_A/2) - \Delta x \sin(\theta_A)}\right). \quad (1b)$$

Actual values of  $L$ ,  $\theta_A$ , and  $\Delta x$  are given by railway standard specifications [1]. The values considered were:  $L$  from 0.3m to 1.5m,  $\Delta x = 6\text{cm}$ ,  $\theta_A = 10^\circ$  (the sharpest track curve).

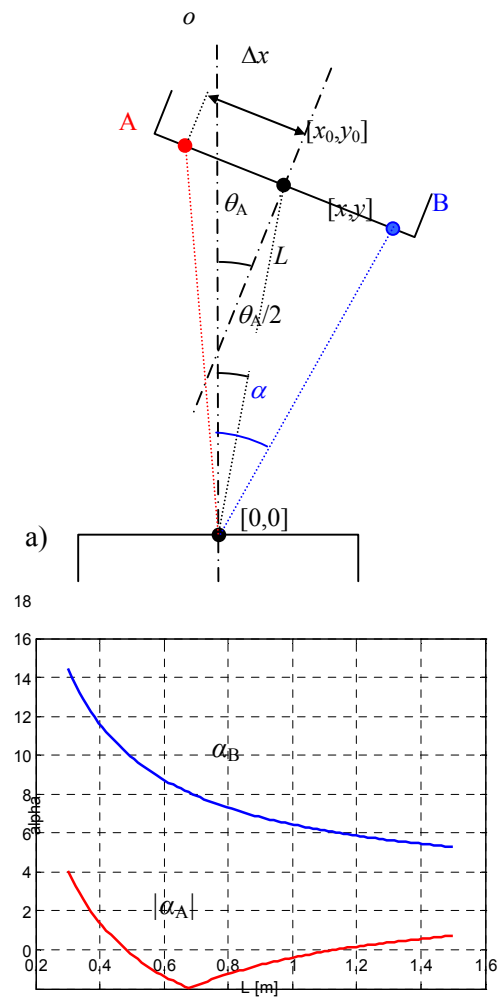


Fig. 1 Simplified geometrical model for determination of  $\alpha_A$  and  $\alpha_B$  ( $\theta_A$  – angular divergence of wagon axes;  $\alpha$  – angular position of opposite device with respect to the optical axis  $o$ ;  $L$  – distance between  $[0,0]$  and  $[x_0,y_0]$ ).

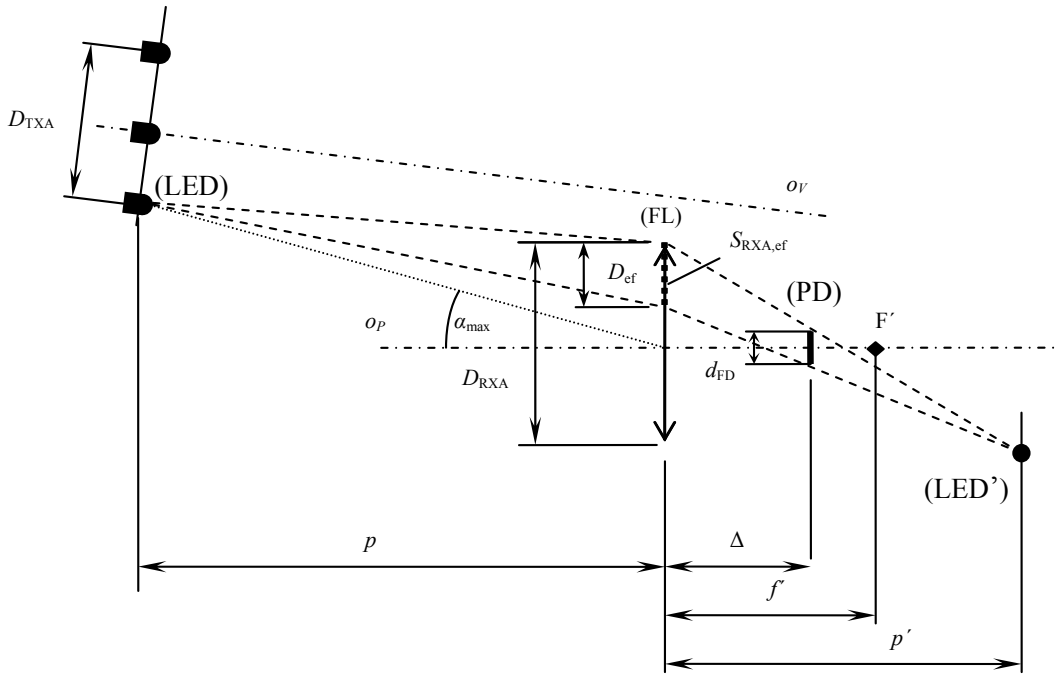


Fig. 2 Design model of receiving optical system under extreme deviation (photodiode aperture is irradiated only by the outer LED);  $D_{TXA}$  – diameter of transmitting aperture;  $D_{RXA}$  – diameter of Fresnel lens; PD – photodiode; LED' – image of the outer LED;  $F'$  – second focal point

Analysis of angular position of A and B ( $\alpha_A, \alpha_B$ ) exhibits the maximum of  $|\alpha|_{\max} = 16^\circ$  for  $L = 0.3\text{m}$ , Fig. 1. This value determines required field of view of the receiver and required beam divergence of the transmitter.

## 2 Model of the Optical System

Fig. 2 shows a design model of the receiver optical system. The transmitting aperture is composed from several properly directed LEDs without any optics.

Using some basic principles of ray optics an analytical formula for the maximum distance  $\Delta$  between photodiode and lens can be obtained as

$$\Delta = \frac{pf'(D_{RXA} - d_{PD})}{2pf' \operatorname{tg}\left(\alpha_{\max} - \operatorname{arctg}\frac{D_{TXA}}{2p}\right) + D_{RXA}(p - f')} \quad (2)$$

Because  $\Delta$  is smaller than  $p'$ , only a fraction of the receiving aperture participate on the power reception. It is denoted as effective aperture  $S_{RXA,ef}$  (Fig. 2). Gain  $G$  of the optical system is defined as ratio of the actually received power to that received without any optics, i.e.

$$G = 20 \log\left(\frac{D_{ef}}{d_{PD}}\right) = 20 \log\left(\frac{pf'}{pf' - \Delta(p - f')}\right) \text{ [dB]}, \quad (3)$$

where  $D_{ef}$  is diameter of the effective aperture and  $d_{PD}$  is diameter of active area of the photodiode. In the case of irradiation by several LEDs the received power is given as a sum of individual contributions

$$P_{FD} = \frac{\pi}{4} d_{PD}^2 T_{RXA} \sum_k \frac{I_{i,k}(l, m)}{L_k^2} 10^{0,1G_k} \cos \alpha_k, \quad (4)$$

where  $T_{RXA}$  is transmission of lens,  $I_{i,k}(l, m)$  is the individual LED irradiance,  $l, m$  are direction cosines,  $L_k$  is distance between  $k$ -th LED and center of effective aperture,  $G_k$  is receiver gain (in dB) for  $k$ -th LED and  $\alpha_k$  is the incidence angle of radiation of  $k$ -th LED on effective aperture.

## 3 Computer Simulation

Fig. 3 shows configuration of transmitting LEDs. The diodes (Vishay TSFF5200) are uniformly distributed around two circles ( $N_1$  diodes on the inner circle and  $N_2$  diodes on the outer one) and are deflected radially such way, that their axes make angles  $\theta_1, \theta_2$  respectively with the normal line of TXA. Fig. 4 shows power (in dBm) received by a test aperture  $D_{\text{test}} = 15\text{mm}$  in dependence on angular deviations  $\alpha_x$  and  $\alpha_y$  and a section for  $\alpha_y = 0$ ; both at  $L = 0.3\text{m}$ . The test aperture is always oriented perpendicularly to the beam going from the transmitter center. Its size is chosen similarly to the

size of effective aperture of the actual receiver to get a realistic image of field distribution.

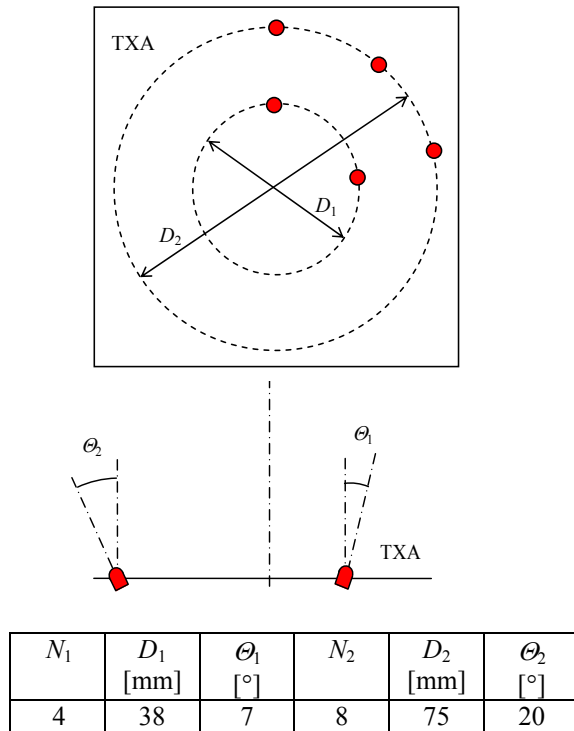


Fig. 3 Configuration of transmitting LEDs.

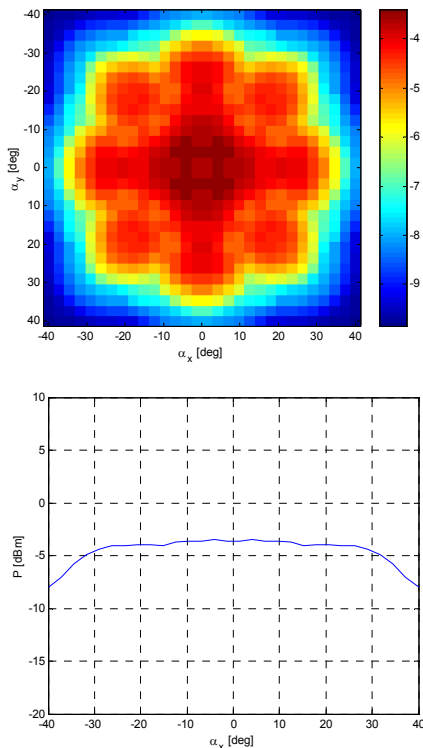


Fig. 4 Distribution of transmitter field received by 15mm test aperture.

The receiver optics consists of Fresnel lens  $D_{RXA} = 50\text{mm}$  (E.F.L. 33 mm) and a photodiode with diameter of active area  $d_{FD} = 4\text{mm}$ . Fig. 5 shows results of numerical analysis of received power for  $\theta_A = 10^\circ$  and  $\Delta = 25\text{mm}$  as a function of side deviations  $\Delta_x$  and  $\Delta_y$  for  $L = 1.5\text{m}$ .

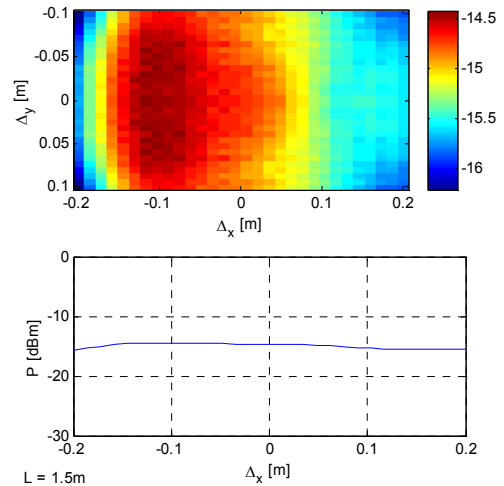


Fig. 5 Received power as function of  $\Delta x$  and  $\Delta y$  (see Fig.1)

## 5 Conclusions

The optical system designed is based on inexpensive LEDs and plastic Fresnel lens and provides optical power at photodiode between -30dBm to 0dBm under all circumstances. The optical link is intended for modernization of classical train wagons to increase safety and provide new services both for the crew and passengers.

## 6 Acknowledgements

This research has been supported by the Grant Agency of the Czech Republic under the contracts No. 102/05/0571 and No 105/05/0732 and by the Ministry of Education under the contract MSM0021630513.

### References:

- [1] Standard TNŽ 281400: *Carriage of length of 26,4m and gauge of 1435mm*, Office for Standardization and Measurement Publishing, Prague, 1989.
- [2] SALEH, B.E.A. and TEICH, M.C.: *Fundamentals of Photonics*. John Wiley, New York, 1994.
- [3] SANTAMARIA, A. a LÓPEZ-HERNÁNDEZ, F.J.: *Wireless LAN System*. Artech House, London, 1994.