

Efficient Binary Tree Multiclass SVM using Genetic Algorithms for Vowels Recognition

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Abstract: - In this paper we introduce and investigate the performance of a simple framework for multiclass problems of support vector machine (SVM), we present a new architecture named EBTSVM (Efficient Binary Tree Multiclass SVM), in order to achieve high classification efficiency for multiclass problems. The proposed paradigm builds a binary tree for multiclass SVM by genetic algorithms with the aim of obtaining optimal partitions for the optimal tree. Our approach is more accurate in the construction of the tree. Further, in the test phase EBTSVM, due to its Log complexity, it is much faster than other methods in problems that have big class number. In the context of phonetic classification by EBTSVM machine, a recognition rate of 57.54%, on the 20 vowels of TIMIT corpus was achieved. These results are comparable with the state of the arts, in particular the results obtained by SVM with one-versus-one strategy. In addition, training time and number of support vectors, which determine the duration of the tests, are also reduced compared to other methods. However, these results are unacceptably large for the speech recognition task. This calls for the development of more efficient multi-class kernel methods in terms of accuracy and sparsity.

Key-Words: - Machine Learning, SVM, Binary Tree, Genetic algorithms, Speech recognition.

1 Introduction

Kernel Methods and particularly Support Vector Machines (SVM) [1,2,3], introduced during the last decade in the context of statistical learning [2,4,5], have been successfully used for the solution of a large class of machine learning tasks [6,7] such as categorization, prediction, novelty detection, ranking and clustering. The SVM was originally developed for binary problems, and its extension to multiclass problems is not straightforward. How to effectively extend it for solving multiclass classification problem is still an on-going research issue. The popular methods for applying SVMs to multiclass classification problems usually decompose the multi-class problems into several two-class problems that can be addressed directly using several SVMs.

Automatic Speech Recognition (ASR) has been the focus of both the machine learning and speech communities for the past few decades due to its importance in any conceivable man machine interface (MMI) [8]. ASR is considered as the most difficult and challenging problem to be solved for many years to come. The large variability and the richness of voice data represent a fertile field to

evaluate the performance of recognition systems. In this paper, the task of vowels classification is used to evaluate our approach

The remainder of the paper is organized as follows. In section 2, large margin kernel methods SVM will be briefly discussed for problems classification. In the following section, we introduce our efficient framework for multiclass SVM using genetic algorithms. We discuss the implementation of our architecture EBTSVM and some related successful works in sections 4 and 5 respectively. In section 6, we give results of preliminary experiments on the vowels sets of TIMIT data base. Finally, the last section is devoted to conclusions and some remarks pertaining to future work.

2 Problem Formulation

Binary SVM, in their general form, extend an optimal linear hypothesis, in terms of an upper bound on the expected risk that can be interpreted as the geometrical margin, to non linear ones by making use of kernels $k(\cdot, \cdot)$. Kernels can be interpreted as dissimilarity measures of pairs of objects in the training set X . In standard SVM

formulations, the optimal hypothesis sought is of the form (1).

$$\Phi(\xi) = \sum \alpha_i k(x, x_i) \quad (1)$$

Where α_i are the components of the unique solution of a linearly constrained quadratic programming problem, whose size is equal to the number of training patterns. The solution vector obtained is generally sparse and the non zero α_i 's are called support vectors (SV's). Clearly, the number of SV's determines the query time which is the time it takes to predict novel observations and subsequently, is critical for some real time applications such as speech recognition tasks.

It is worth noting that in contrast to connectionist methods such as neural networks, the examples need not have a Euclidean or fixed-length representation when used in kernel methods. The training process is implicitly performed in a Reproducing Kernel Hilbert Space (RKHS) in which $k(x,y)$ is the inner product of the images of two example x, y . Moreover, the optimal hypothesis can be expressed in terms of the kernel that can be defined for non Euclidean data such biological sequences, speech utterances etc. Popular positive kernels include the Linear (2), Polynomial (3), Gaussian (4), and Laplacian (5) kernels:

$$k(x_i, x_j) = x_i^T x_j \quad (2)$$

$$k(x_i, x_j) = (\gamma x_i^T x_j + r)^d, \gamma > 0 \quad (3)$$

$$k(x_i, x_j) = \exp(-\gamma \|x_i - x_j\|^2), \gamma > 0 \quad (4)$$

$$k(x_i, x_j) = \exp(-\gamma \sum |x_i - x_j|), \gamma > 0 \quad (5)$$

2.1 SVM Formulation and Training

Given training vectors $x_i \in \mathfrak{R}^n, i = 1, \dots, m$, in two classes, and a vector $y \in \mathfrak{R}^m$ such that $y_i \in \{1, -1\}$, Support Vector Classifiers [2,3,4,5] solve the following linearly constrained convex quadratic programming problem:

$$\begin{aligned} \text{maximize } W(\alpha) &= \frac{1}{2} \sum_{i,j} \alpha_i \alpha_j y_i y_j k(x_i, x_j) - \sum_{i=1}^m \alpha_i \\ \text{under the constraints: } &\quad \forall i, 0 \leq \alpha_i \leq C \\ &\quad \sum_{i=1}^m \alpha_i y_i = 0 \end{aligned} \quad (6)$$

The optimal hypothesis is:

$$f(x) = \sum_{i=1}^m \alpha_i y_i k(x, x_i) + b \quad (7)$$

Where the bias term b can be computed separately [6]. Clearly, the hypothesis f depends only on the non null coefficients α_i whose corresponding patterns are called Support vectors (SV).

The QP objective function involves the problem Gram matrix K whose entries are the similarities $k(x_i, x_j)$ between the patterns x_i and x_j . It is important to note, on one hand, that the pattern input dimension d , in the above formulation, is implicit and does not affect to some extent the complexity of training, provided that the Gram matrix K can be efficiently computed for the learning task at hand. On the other hand, the patterns representation is not needed and only pair wise similarities between objects must be specified.

This feature makes SVM very attractive for high input dimensional recognition problems and for the ones where patterns can't be represented as fixed dimensional real vectors such as text, strings, DNA etc. For large scale corpora however, the quadratic programming problem becomes quickly computationally expensive, in terms of storage and CPU time. It is well known that general-purpose QP solvers scale with the cube of the problem dimension which is, in our case, the number of training patterns m . Specialized algorithms, typically based on gradient descent methods, achieve impressive gains in efficiency, but still become impractically slow for problems whose size exceeds 100,000 examples. Several attempts have been made to overcome this shortcoming by using heuristically based decomposition techniques such as Sequential minimal optimization SMO [6, 20] implemented in LibSVM package [12].

2.2 Multiclass Extensions

Support Vector Machines are inherently binary classifiers and its efficient extension to multiclass problems is still an ongoing research issue [9,10,11]. Several frameworks have been introduced to extend SVM to multiclass contexts and a detailed account

of the literature is out of the scope of this paper. Typically multiclass classifiers are built by combining several binary classifiers. The earliest such method is the One-Against-All (OVA) [2,9] which constructs K classifiers, where K is the number of classes. The k^{th} classifier is trained by labeling all the examples in the k^{th} class as positive and the remainder as negative. The final hypothesis is given by the formula:

$$f_{ova}(x) = \arg \max_{i=1, \dots, k} (f_i(x)) \quad (8)$$

Another popular paradigm, called One-Against-One (OVO), proceeds by training $k(k-1)/2$ binary classifiers corresponding to all the pairs of classes. The hypothesis consists of choosing either the class with most votes (voting) or traversing a directed acyclic graph where each node represents a binary classifier (DAGSVM) [10]. There was debate on the efficiency of multiclass methods from statistical point of view. Clearly, voting and DAGSVM are cheaper to train in terms of memory and computer speed than OVASVM. [11] investigated the performance of several SVM multi-class paradigms and found that the one-against-one achieved slightly better results on some small to medium size benchmark data sets. Other interesting works will be discussed in section: related work and discussion.

3 Binary Tree for Multiclass SVM

This approach uses multiple SVMs set in a binary tree structure [16]. In each node of the tree, a binary SVM is trained using two classes. All samples in the node are assigned to the two subnodes derived from the current node. This step repeats at every node until each node contains only samples from one class. That said, until the leaves of the tree. The main problem that should be considered seriously here is how to construct the optimal tree? With the aim of partitioning correctly the training samples in two groups, in each node of the tree. In this paper we propose a genetic algorithm for constructing a binary tree structure for multiclass SVM.

3.1 Genetic Algorithm for Binary Tree Construction

Genetic algorithms (GA) can provide good solutions to many optimization problems. They are based on natural processes of evolution. The process of genetic algorithm is defined as follows: coding, selection, genetic operators such as mutation and

crossover. The EBTSVM method that we propose is based on recursively partitioning the classes in two disjoint groups in every node of the binary tree, and training a SVM that will decide in which of the groups the incoming unknown sample should be assigned.

In the general case, the number of partitions into two parts (groups) of a set of k elements is given by the following formula [22]:

$$N_{\text{partitions}}_{k,2} = \sum_{i=0}^{k-1} (-1)^i \frac{(k-i)^k}{i!(k-i)!} \quad (9)$$

In this paper, a combination of genetic algorithms and partitioning general formula (9) is used to constructing the binary tree. Indeed, two cases can be expected: the number k is small in this case; we calculate, using the formula (9), all possible partitions and then deduce the optimal partition. Where the number k is greater than 6 ($k > 6$), we determine the optimal partition by genetic algorithms, because it is impossible to cover all possible partitions.

3.2 Preliminary

Let's take a set of training samples labeled by $y_i \in \{c_1, c_2, \dots, c_k\}$, SVM-AG method starts, in the first step, with calculating k gravity centers for the k different classes. In the second step, the goal is to find the right partitioning of k gravity centers into two disjoint groups. For that, a process of genetic algorithm is applied for each node of the binary tree as follow: we start from the root of the binary tree, we partition the k gravity centers (k classes) into two groups is the most disjointed, says the chromosome having the maximum fitness function with genetic algorithms. Then, we continue this operation for nodes derived until no partitioning is possible, that is to say nodes are the leaves of the tree. After that, a function of overall inertia is calculated for each binary tree (individual). Indeed, this function of overall inertia is given by the following formula:

$$f_{\text{overallinertia}} = \sum_{i=1}^{\text{nodes}} \text{fun_fitness}(i) \quad (10)$$

Where, $\text{fun_fitness}(i)$ is the fitness function of the node i . An example binary tree for seven classes is shows in figure 1.

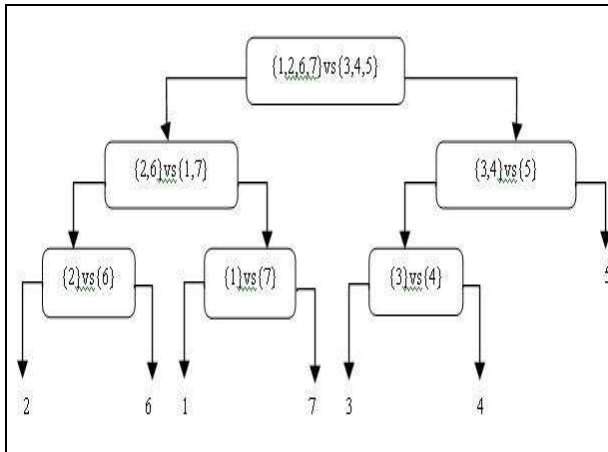


Fig. 1: an example binary tree for seven classes.

3.3 Genetic algorithms for constructing optimal partition

3.3.1 Encoding

For genetic algorithms to build optimal partition, partition must be encoded so that genetic operators such as mutation and crossover can be applied. Let $y_i \in \{c_1, c_2, \dots, c_k\}$ be the label list of k gravity centers for the k different classes. For encoding each partition, permutation encoding is used. In permutation encoding, every chromosome is a string of numbers. In this paper, each number represents a vowel; therefore partition is encoded by a string of numbers. In this paper we used the set: {[aa], [aw], [ae], [ah], [ao], [ax], [ay], [axr], [ax-h], [uw], [ux], [uh], [oy], [ow], [ix], [ih], [iy], [eh], [ey], [er]} for datasets TIMIT vowels. The vowels are represented by numbers as follow:

Table 1: Encoding of Vowels

Number	1	2	3	4	5	6	7
Vowel	aa	ae	ah	ao	aw	ax-h	ax
Number	8	9	10	11	12	13	14
Vowel	axr	ay	eh	er	ey	ih	ix
Number	15	16	17	18	19	20	
Vowel	iy	ow	oy	uh	uw	ux	

Table 2: Example of Chromosomes (Partitions) With Permutation Encoding

Chromosome 1																			
1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
Chromosome 2																			
1	2	3	4	13	14	15	16	17	18	19	20	5	6	7	8	9	10	11	12

3.3.2 Fitness Function

Fitness function of each partition is the Euclidean distance between the two groups that partition.

3.3.3 Genetic Operators

Crossover and mutation are two basic operators of GA. Performance of GA very depend on them. Type and implementation of operators depends on encoding and also on a problem. The Crossover selects genes from parent chromosomes and creates a new offspring. Whereas, mutation operator is defined as changing the value of a certain position in a string to one of the possible values in the range. There are many ways how to do crossover and mutation. In this paper, we are only interested by crossover to a single point, Single point crossover is selected, till this point the first part is copied from the first parent, and then the rest is copied from the second parent. For mutation, Order changing is used; two numbers are selected and exchanged.

Table 3: Example of Crossover Operator with a Single Point

Partition 1																			
1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
Partition 2																			
1	2	3	4	13	14	15	16	17	18	19	20	5	6	7	8	9	10	11	12
Offspring 1																			
1	2	3	4	5	6	7	8	9	18	19	20	5	6	7	8	9	10	11	12
Offspring 2																			
1	2	3	4	13	14	15	16	17	10	11	12	13	14	15	16	17	18	19	20

But the problem is that some numbers are repeated and others are missing, while all numbers are included in each chromosome. For this, correction is applied to the offspring to add the missing number and remove duplication.

Table 4: Example of Mutation Operator

Offspring before mutation																			
1	2	3	4	5	6	7	8	9	18	19	20	5	6	7	8	9	10	11	12
Offspring after mutation																			
1	2	3	4	9	6	7	8	9	18	19	20	5	6	7	8	5	10	11	12

3.3.4 Decoding

Decoding is the reverse operator of the encoding process. In this paper the best individual is the tree with the maximum overall inertia function.

4 Implementation of Tree SVM for Phonetic Classification

The optimal tree (best individual) created by genetic algorithms is implemented to obtain a multiclass approach. Takes advantage of both the efficient computation of the tree architecture and the high classification accuracy of SVMs Utilizing this architecture, N-1 SVMs needed to be trained for an N class problem. This binary tree is used to train a SVM classifier in the root node of the tree, using the samples of the first group as positive examples and the samples of the second group as negative examples. The classes from the first clustering group are being assigned to the first (left) subtree, while the classes of the second clustering group are being assigned to the (right) second subtree. The process continues recursively (dividing each of the groups into two subgroups applying the procedure explained above), until there is only one class per group which defines a leaf in the decision tree.

The recognition of each test sample starts at the root of the tree. At each node of the binary tree a decision is being made about the assignment of the input pattern into one of the two possible groups represented by transferring the pattern to the left or to the right sub-tree. Each of these groups may contain multiple classes. This is repeated recursively downward the tree until the sample reaches a leaf node that represents the class it has been assigned to.

5 Related Works and Discussion

There are different approaches for solving multi-class problems which are not based on SVM. However, the experimental results clearly show that their classification accuracy is significantly smaller than the SVM based methods.

Several multi-class approaches have been proposed to solve the multi-class problem for SVM. SVM using the standard formulation cannot deal directly multiclass problems. Early implementations attempted to treat the multiclass problem are the OVA and the OVO approaches already discussed in Section 2. Most of the recent works are based on the combination of classifiers binaries.

Interesting implementations of SVM multi-classes have been developed in recent years. Such as, two architectures proposed by [18] and [17], in the first Cha and Tappert built the decision tree by genetic algorithms where they are considered each tree as chromosome. While in the second architecture Madzarov and All proposed a clustering

method to construct the binary tree. Another approach in this direction has been presented by Lei and Venu in [19], they use a recursive method in to build the binary tree.

In term of complexity, OVA approach needs to create k binary classifiers; the training time is estimated empirically by a power law [20] stating that $T \approx \alpha M^2$ where M is the number of training samples and α is proportionality constant. According to this law, the estimated training time for OVA is:

$$Training_Time_{OVA} \approx k\alpha M^2 \quad (11)$$

Without loss of generality, let's assume that each of the k classes has the same number of training samples. Thus, each binary SVM of OVO approach only requires $2M/k$ samples. Hence, the training time for OVO is:

$$\begin{aligned} Training_Time_{OVO} &\approx \alpha \frac{k(k-1)}{2} \left(\frac{2M}{k} \right)^2 \\ &\approx 2\alpha \frac{(k-1)}{k} M^2 \approx 2\alpha M^2 \end{aligned} \quad (12)$$

The training time for DAG is same as OVO. In the training phase, our approach EBTSVM has k-1 binary classifiers (k is the number of classes). The random structure of the optimal tree complicates the calculation of the training time. However, an approximation is defined as:

Let's assume that each of the k classes has the same number of training samples. The training time is summed over all k-1 nodes in the different $\lceil \log_2(k) \rceil$ levels of tree. In the i^{th} level, there are at the most 2^{i-1} nodes and each node uses $M/2^{i-1}$ training samples. Hence, the total training time:

$$\begin{aligned} Training_Time_{SVMAG} &\approx \sum_{i=1}^{\lceil \log_2(k) \rceil} \alpha 2^{i-1} \left(\frac{M}{2^{i-1}} \right)^2 \\ &\approx \sum_{i=1}^{\lceil \log_2(k) \rceil} \alpha \left(\frac{M^2}{2^{i-1}} \right) \approx \alpha M^2 \end{aligned} \quad (13)$$

It must be noted that the training time of our approach does not include the time to build the hierarchy structure (binary tree) of the k classes.

In the testing phase, OVA require k binary SVM evaluations and OVO necessitate $\frac{k(k-1)}{2}$ binary

SVM evaluations, while DAGSVM performs faster than OVO and OVA, since it requires only $k-1$ binary SVM evaluations. The two architectures proposed by [18] and [17] and EBTSVM proposed in this paper are even faster than DAGSVM because the depth of the binary tree is $\lceil \log_2(k) \rceil$. In addition, the total number of supports (SVs) vectors in all models will be smaller than the total number of SVs in the others (OVA, OVO and DAGSVM). Therefore it allows converge rapidly in the test phase.

The advantage of the approaches presented in [18], [17], [19] and the approach shown in this paper lie mainly in the test phase, because it uses only the models necessary for recognition. Which make the testing phase faster.

However, in [18], [17] and [19] a problem of local minima is clearly present. To avoid this problem, an approach proposed in this work is to find the binary tree, using the process of genetic algorithm to each node of the tree to find the right partitioning into two disjoint groups, the partial optimization avoids falling into a local optimum, the details of the algorithm is discussed in section 5 above.

6 Implementation Details and Experimental Results

In this paper, we performed our experiments on the TIMIT corpus [13]. The 20 vowels used in [14] are selected to evaluate our approach. The 20 vowels set: {[aa], [aw], [ae], [ah], [ao], [ax], [ay], [axr], [axh], [uw], [ux], [uh], [oy], [ow], [ix], [ih], [iy], [eh], [ey], [er]}.

In all the experiments reported below, we performed 5-fold cross validation for tuning SVM hyper parameters g and C . The GNU SVM light [26] implementation is used for our EBTSVM Machine used in this paper, and LibSVM [45] for SVC [39] software's to compare our results. All the experiments were run on standard Intel (R) core™ 2 Duo CPU 2.00 GHZ with 2.99 Go memory running the Windows XP operating system. The following tables summarize our preliminary results, for the classification supervised of 20 vowels listed above.

Table 5: Results Obtained by SVM (OVO) for 20 Vowels.

	« C »	« g »	Test (%)	CPU time (s)
SVM (OVO)	2000	0.0005	59.64	510.89
	5000	0.0005	59.83	670.15
	10000	0.0005	60.14	504.00
	1000	0.005	58.11	945.65
	200	0.005	59.82	938.34

Table 6: Results Obtained by EBTSVM for 20 Vowels.

	« C »	« g »	Test (%)	CPU time (s)
EBTSVM	4	0.03	57.16	534
	10	0.03	56.23	584
	5	0.03	57.29	537
	100	0.007	57.32	482
	100	0.01	56.83	520
	100	0.0055	57.54	424

7 Conclusion

We introduced and implemented a novel efficient approach for SVM multiclass. The Binary Tree of support vector machine (SVM) multiclass paradigm was shown through extensive experiments to achieve state of the art results in terms of accuracy. The preliminary experiments of our binary architecture named EBTSVM indicate that the results are comparable to those of other kernel methods and some works of speech recognition [25...38]. Although the optimization of learning parameters of SVM can improve the results.

However, as can be seen from the results, training times and especially testing times are still excessive preventing SVM from being used in speech recognition at least for the time being. We believe that in order to improve automatic speech recognition technology, more research efforts must take advantage of the solid mathematical basis and the power of SVM binary, and should be invested in developing general purpose efficient machine learning paradigms capable of handling large scale multi-class problems.

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